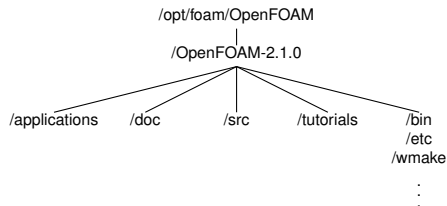




# Installation directory structure



Easiest to modify code from  
core library

Applications (apps) in  
`/applications`  
subdirectory

Copy to user directory!  
(alongside user case  
directory)

# App directory structure

## Example – icoFoam

```
<grtabor@emps-copland>ls  
createFields.H  Make  icoFoam.C  icoFoam.dep
```

## Directory contains

- File `icoFoam.C`
- Other files (`.H`, `.C`)
- Directory `Make`

To compile, type `wmake`

# Compilation

`wmake` is a make system – directs the compiler to compile specific files in particular ways.

Controlled through files in `Make` :

- `files` – specifies which user-written files to compile and what to call the result
- `options` – specifies additional header files/libraries to be included in the compilation.

`files` :

```
icoFoam.C
EXE = $(FOAM_APPBIN)/icoFoam
```

- 1 Need to change  
\$ (FOAM\_APPBIN) to  
\$ (FOAM\_USER\_APPBIN)
- 2 Probably need to change  
executable name!
- 3 Might need to change name of  
.C file

## Example – Boussinesq approximation

For buoyancy-driven flow we often make use of the *Boussinesq* approximation : air modelled as incompressible with a body force proportional to  $\Delta\theta$ . Can we implement this into `icoFoam`?

Need to solve standard heat conduction equation :

$$\frac{\partial\theta}{\partial t} + \nabla \cdot (\underline{u}\theta) = \frac{\kappa}{\rho_0 C_V} \nabla^2 \theta$$

and alter the momentum equation

$$\frac{\partial \underline{u}}{\partial t} + \nabla \cdot \underline{u} \underline{u} = -\nabla p + \nu \nabla^2 \underline{u} - \beta \underline{g}(\theta_0 - \theta)$$

to accommodate this.

# Standard icoFoam

```

int main(int argc, char *argv[])
{
    #include "setRootCase.H"

    #include "createTime.H"
    #include "createMesh.H"
    #include "createFields.H"
    #include "initContinuityErrs.H"

    while (runTime.loop())
    {
        Info<< "Time=_" << runTime.timeName()

        #include "readPISOControls.H"
        #include "CourantNo.H"

        fvVectorMatrix UEqn
        (
            fvm::ddt(U)
            + fvm::div(phi, U)
            - fvm::laplacian(nu, U)
        );
        solve(UEqn == -fvc::grad(p));
    }
}

```

Include files – createFields.H

Solve

$$a_p U_p = H(U) - \nabla p$$

to find  $U_p$  – Momentum predictor

```

for (int corr=0; corr<nCorr; corr++)
{
    volScalarField rUA = 1.0/UEqn.A();

    U = rUA*UEqn.H();
    phi = (fvc::interpolate(U) \& mesh.Sf())
        + fvc::ddtPhiCorr(rUA, U, phi);

    adjustPhi(phi, U, p);

    fvScalarMatrix pEqn
    (
        fvm::laplacian(rUA, p)
        == fvc::div(phi)
    );

    pEqn.setReference(pRefCell, pRefValue);
    pEqn.solve();

#    include "continuityErrs.H"

    U -= rUA*fvc::grad(p);
    U.correctBoundaryConditions();
}

```

Enter pressure loop – set up variables

Solve

$$\nabla \cdot \left( \frac{1}{a_p} \nabla p \right) = \sum_f \underline{S} \cdot \left( \frac{H(U)}{a_p} \right)_f$$

to find  $p$  – Pressure corrector

Update flux using

$$F = \underline{S} \cdot \left[ \left( \frac{H(U)}{a_p} \right)_f - \left( \frac{1}{a_p} \right)_f (\nabla p)_f \right]$$

## boussinesqFoam

Modify this in the following way :

- 1 Open `createFields.H` and read in the various properties :

```
dimensionedScalar kappa
(
    transportProperties.lookup("kappa")
);
```

(similar lines for `rho0`, `Cv`, `theta0` and `beta`). Also worth introducing `hCoeff` :

```
dimensionedScalar hCoeff = kappa/(rho0*Cv);
```



(...cont)

- 2 Introduce gravitational acceleration  $\underline{g}$ ; read in from the same dictionary, but is a `dimensionedVector` rather than a `dimensionedScalar`.
- 3 Create a temperature field `theta` as a `volScalarField` and read it in. This is very similar to the pressure field, so make a copy of this and modify accordingly.
- 4 Modify the momentum equation (UEqn) to add the term

```
+ beta*g*(theta0-theta)
```

(...cont)

- 5 End of the PISO loop – create and solve the temperature equation :

```
fvScalarMatrix tempEqn
(
    fvm::ddt(theta)
  + fvm::div(phi,theta)
  - fvm::laplacian(hCoeff,theta)
);

tempEqn.solve();
```

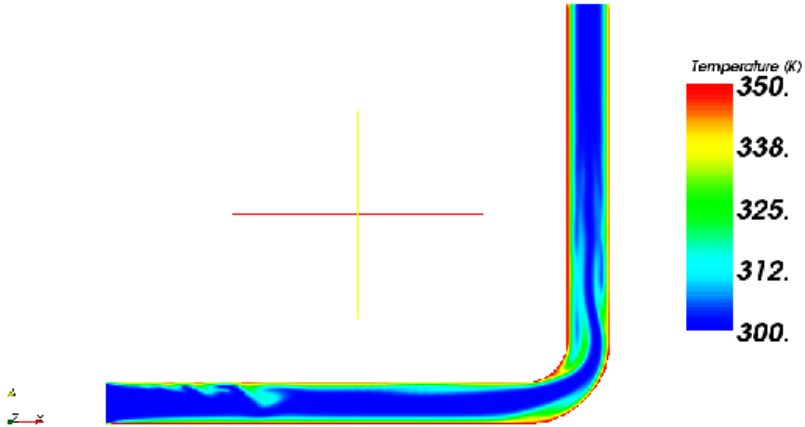
- 6 Compile this using `wmake` (rename executable as `boussinesqFoam`)

# Case

We need to modify a case to function with `boussinesqFoam`. Use a pipe flow problem – modify as follows;

- 1 Create a `theta` file in the 0 timestep directory. This is best done by creating a copy of `U` and editing it. Don't forget to change the dimensions of `theta` as well.
- 2 Introduce the physical parameters. `boussinesqFoam` looks for the thermophysical constants in `transportProperties`; check that these are in there and that the values are correct.
- 3 The differencing schemes need to be specified for the `theta` equation. These are in `fvSchemes`; check that they are appropriate.
- 4 Finally, `solvers` in `fvSolution` needs an entry for the `theta` equation. Again, this has been provided, but you should check that it is correct.

# Results



## Example 2 – Casson model

The Casson model is a non-Newtonian viscosity model – used for chocolate, blood, etc.  
Can we implement in OpenFOAM?

Stress-strain relation for a fluid

$$\tau = \rho\nu\dot{\gamma} \quad \text{where} \quad \dot{\gamma} = \frac{1}{2} \left( \nabla \underline{u} + \nabla \underline{u}^T \right) \quad \text{is rate of strain tensor}$$

$\nu = \text{const}$  is a Newtonian fluid.  $\nu = \nu(\dot{\gamma}, \dots)$  is non-Newtonian.

Casson model :

$$\nu(J_2) = \frac{\left[ (\eta^2 J_2)^{1/4} + \sqrt{\frac{\tau_y}{2}} \right]^2}{\rho\sqrt{J_2}} \quad \text{where} \quad J_2 = \left\| \frac{1}{2} \left( \nabla \underline{u} + \nabla \underline{u}^T \right) \right\|^2$$

## Implementation

To implement this convert the viscosity `nu` from `dimensionedScalar` into `volScalarField`. In `createFields` we create an appropriate `volScalarField`:

```
Info << "Reading_field_nu" << nl << endl;
volScalarField nu
(
    IOobject
    (
        "nu",
        runTime.timeName(),
        mesh,
        IOobject::MUST_READ,
        IOobject::AUTO_WRITE
    ),
    mesh
);
```

and remove the original definition of `nu` as a `dimensionedScalar`.

Also need to read in Casson model coefficients in `createFields.H`.

Calculate the value of `nu` somewhere within the iterative loop :

```
volScalarField J2 = 0.5*magSqr(symm(fvc::grad(U))) +
    dimensionedScalar("tiny",dimensionSet(0,0,-2,0,0,0,0),0.0001);

nu = sqr(pow(sqr(eta)*J2,0.25) + pow(tau_y/2,0.5))/(rho*sqrt(J2));
```

Note :

- `J2` created locally – not being saved
- Introduce “tiny” to avoid division by zero

# Results : offsetCylinder case from tutorials

